

Exploration**The Monopolar Quantum Relativistic Electron: An Extension of the Standard Model & Quantum Field Theory (Part 5)**

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Abstract

In this paper, a particular attempt for unification shall be indicated in the proposal of a third kind of relativity in a geometric form of quantum relativity, which utilizes the string modular duality of a higher dimensional energy spectrum based on a physics of wormholes directly related to a cosmogony preceding the cosmologies of the thermodynamic universe from inflaton to instanton. In this way, the quantum theory of the microcosm of the outer and inner atom becomes subject to conformal transformations to and from the instanton of a quantum big bang or qbb and therefore enabling a description of the macrocosm of general relativity in terms of the modular T-duality of 11-dimensional supermembrane theory and so incorporating quantum gravity as a geometrical effect of energy transformations at the wormhole scale.

Part 5 of this article series includes: Quark-Lepton Unification in XL-Boson Class HO(32) SEWg --- SEW.G.

Keywords: Monopolar, quantum relativity, Standard Model, extension, quantum field theory.

**Quark-Lepton Unification in XL-Boson Class HO(32)
SEWg --- SEW.G**

Following the creation of the 'false Higgs vacuum' as a potential spacetime quantum and as a prototypical holofractal of the brane volumar; the Planck string and now as an ECosmic string of increased spacial extent and of lower energy transforms into the Weyl- E_{ps} Boson of the quantum big bang event as the instanton.

This results in an integration or summation of E_{ps} -quanta evolving at the speed of light from the original Weylian wormhole as the 'creation singularity'.

This 'filling' of the inflaton M-space with lower dimensional instanton C-space represents however an attempt by the wormhole summation, which is expanding originally at the speed of light to become retarded by a force opposing the linear expansion and so decurving of the original wormhole definition. This effect of anti-curvature or the attempt to recircularized the linearization of the lower dimensional expanded membrane space by its higher dimensional contracting (or collapsing) membrane space is known as gravity in the macrocosmic cosmology of General Relativity but represents the integrated effect of quantum gravity as a summation of

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spacetime quanta as wormhole volumars inhabiting expanding space as boundary and initial condition for contracting spacetime.

The expanding qbb or the integration and multiplication of wormhole quanta now enables the X/L bosons to transform into a quark-lepton hierarchy at instanton time $t_{ps}=f_{ss}=1/f_{ps}=3.333 \times 10^{31}$ s*.

The Higgs vacuum is now rendered as physical in spacetime occupancy and the relative sizes of elementary particles is defined in the diameter of the electron and its parameters of energy and momentum. In particular $e^*=2R_e c^2=1/E_{ps}$ restricts the extent of the Compton constant in the mass and size of the electron and quantizing the quantization of monopolar energy in the volumar equivalent of the inversed source energy quantum of the Weyl- E_{ps} Boson conformally transformed from the Planck scale onto the Weyl wormhole scale in the superstring transformations.

Magnetopolar charge e^* as inversed energy quantum in its higher dimensional form assumes the characteristic of a region of space acted upon by the time rate change of frequency or df/dt . As said, this allows a definition of physical consciousness as the action of a quasi-angular acceleration as df/dt onto the dynamics of anything occupying any space, if this space represents a summation of E_{ps} - gauge photon quanta. The concept of physical consciousness so finds its resolution in the quantum geometry of super brane volumars.

The Higgs field of physical consciousness so applies action on spatially occupied dynamics, such as elementary particles or collections and conglomerations of particles, irrespective of those particles exhibiting inertial mass or gravitational mass and as a consequence of the photonic energy equivalence to mass in $E=hf=mc^2$.

The X-Boson of energy 1.885×10^{15} GeV* so transforms into a K-Boson of energy given by the transformed Planck boson into the K-Boson with $m_c=m_{Planck} \cdot \alpha^9 = k\alpha^{8.5}$
 $= (e/G_0)\alpha^{8.5} = 9.924724514 \times 10^{-28}$ kg or 556.0220853... MeV* under Planck-Stoney unification for electric charge and mass.

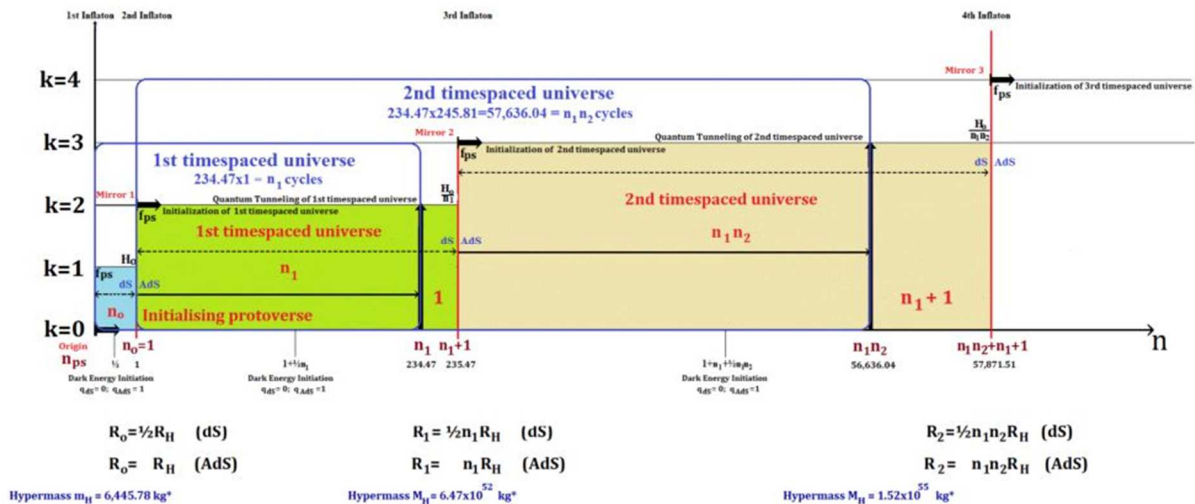
The primordial K-Boson so becomes the ancestor for all nucleons and hyperons as a base kernel energy as a function of cycle time n in $m(n)=m_c Y^n$.

For an invariance of the Gravitational parameter $GM=G_0 X^n \cdot M Y^n = \text{constant}$, a mass evolution in the constancy of $XY = X+Y = e^{i\pi} = i^2 = -1 \forall n$ can be applied to 'evolve' the mass of the K-Boson as a function of cycle time n from its initial self-state $n_{ps}=H_0/f_{ps}=\lambda_{ps}/R_H$ and to relate the history in time to a history of space in a timeless cosmogenesis.

This evolution of mass as a fundamental cosmological parameter relates to the 'missing' mass in the $M_0/M_H = 0.02803...$ ratio say as the Omega of the deceleration parameter in the Friedmann cosmology. Considering a time evolution of a rest mass seedling M_0 towards a Black Hole closure mass M_H in the form of 'massless eternal Strominger branes' will crystallize the existence of a multiverse as a function of the wormhole radius r_{ps} expanding in higher dimensional brane spacetime until the Hubble radius R_H is reached in a time of about 4 trillion years. A formula to

describe this is: $n \ln Y = \ln(R_H/r_{ps})$ or equivalently $n \ln Y = \ln(M_H/M_{\text{curvature}})$ for the quantum gravitational transformation of the Planck mass into the curvature mass of 6445.775... kg* as the minimum mass a Black Hole can have in the quantum relativistic cosmology.

When a Strominger eternal (there is no Hawking radiation) black hole has reached its macro state from its micro state, say after 234.47 cycles in a protoverse, then the entire old universe will quantum tunnel into a new universe which was born as a multiverse at the completion of the first cycle for $n=1$ and when a second inflaton holographically repeated the cosmogenesis parallel in time but not in space to ensure the eternal continuity for the first universe created as a protoverse. The quantum tunneling wall so is an interval of time defined in n_{ps} and not any boundary in space. (Details on this can be found in another paper called: "A Revision of the Friedmann Cosmology", available on request and <https://cosmosdawn.net/index.php?lang=en> }



The upper bound for the kernel mass so becomes $m_c Y^n_{\text{present}} = 1.71175285 \times 10^{-27} \text{ kg}^*$ or 958.9912423... MeV* for n_{present} set at 1.132711...

The K-Boson then assumes the form of a trisected subatomic core in distributing the K-superstring energy in three quantum geometric parts or sectors depictable in three 120-degree regions of a gluon field for the 8 gluon permutations between the SU(3) self-states:

$E=mc^2$: {BBB; BBW; WBB; BWB; WBW; BWW; WWB; WWW}: $E=hf$, for the hyperon SU(3) unitary quark or antiquark distribution and $E=mc^2$: {BB; BW; WB; WW}: $E=hf$ for the mesonic quark-antiquark couplings for SU(2), with the (W)hite state implying complete emr-emmr dematerialization and the (B)lack state inferring complete materialization in the chromodynamics of the colour mixing and gluon charge exchanges.

The L-Boson then induces the outer leptonic OR ring structure as the ancestor of the muon fermion and the inner mesonic ring or IR becomes the oscillatory potential for the OR to reduce in size to approach the kernel K trisected in the gluon distribution.

The precursive X/L-Boson transforming into the quark-lepton hierarchy of fermions, so manifests a native supersymmetry or supergravity without any necessity for additional particles or string vibrations in unification physics.

It can then be said, that the meeting or intersection of the OR with the Kernel K occurs at the IR in the form of neutrinos and anti-neutrinos emitted by the kernel as the partners for the OR manifesting as three leptonic generations in electron, muon and tauon to define the weak interaction bosons in the weakons and the Z-Boson. The weakons so display the bosonic nature of the original X/L bosons but allow a partitioning of the boson integral spin momentum in a sharing between the fermionic kernel and the fermionic outer ring. The quantum geometry indicated then allows a decomposition of the weakons into leptonic generations and the Z-Boson to assume the weak interaction energy in the form of massless gluons becoming mass induced by the quantum geometric template of a scalar Higgs field as Majorana neutrinos. This can be illustrated in the quantum chromodynamics of the trisection of both kernel and rings as the mixing of colour charges as indicated.

Subtracting the L-Boson mass from the K-Boson mass then sets particular energy intervals shown following in the diquark hierarchies found in the quantum geometry of Quantum Relativity. The energy interval for the KKK kernel then becomes (282.6487 MeV* - 319.6637 MeV*) and is defined as a Kernel-Ring-Cross-Coupling constant, where $111.045/3 = 37.015$ gives the appropriate energy range for a particular quark energy level for a ground state GS:

$$GS = GS_{n-1} + 2g_{n-1} + ULM^{n-2} \cdot \{ \frac{1}{3}e^-; \frac{2}{3}e^- \}$$

= Iterative Kernel GS + Ring Perturbation

Matrix $|VPE| = \begin{bmatrix} K_1 & K_2 \\ L_1 & L_2 \end{bmatrix} = \begin{bmatrix} a & b \\ c & d \end{bmatrix}$ for $Det|VPE| = ad - bc = 0 = K_1L_2 - K_2L_1 = (46.100)(1.501) - (14.113)(4.903) = g_{L1}(mu) - g_{L2}(md)$

Matrix $|md;mu| = \begin{bmatrix} L_1 & L_2 \\ L_1-L_2 & 1 \end{bmatrix} = \begin{bmatrix} L_1 + L_2 \\ L_1 - L_2 \end{bmatrix}$ for $Det|md;mu| = -2L_1L_2$ with $|md;mu|^{-1} = \frac{-1}{2L_1L_2} \begin{bmatrix} -L_2 & -L_2 \\ -L_1 & L_1 \end{bmatrix} = \frac{-1}{2mdmu} \begin{bmatrix} -mu & -mu \\ -md & md \end{bmatrix}$

Linear dependency given by $Det|VPE| = 0$ and $g_{L1}/g_{L2} = K_1/K_2 = L_1/L_2 = ULM = 3.2665...$
 For $k=\{1;2;3;...8;9;10\}=\{2;1;(u,d);s;(c,U);b;M;D;t;S\}$:
 For 2 Groundstates GS with $n \geq 2$:

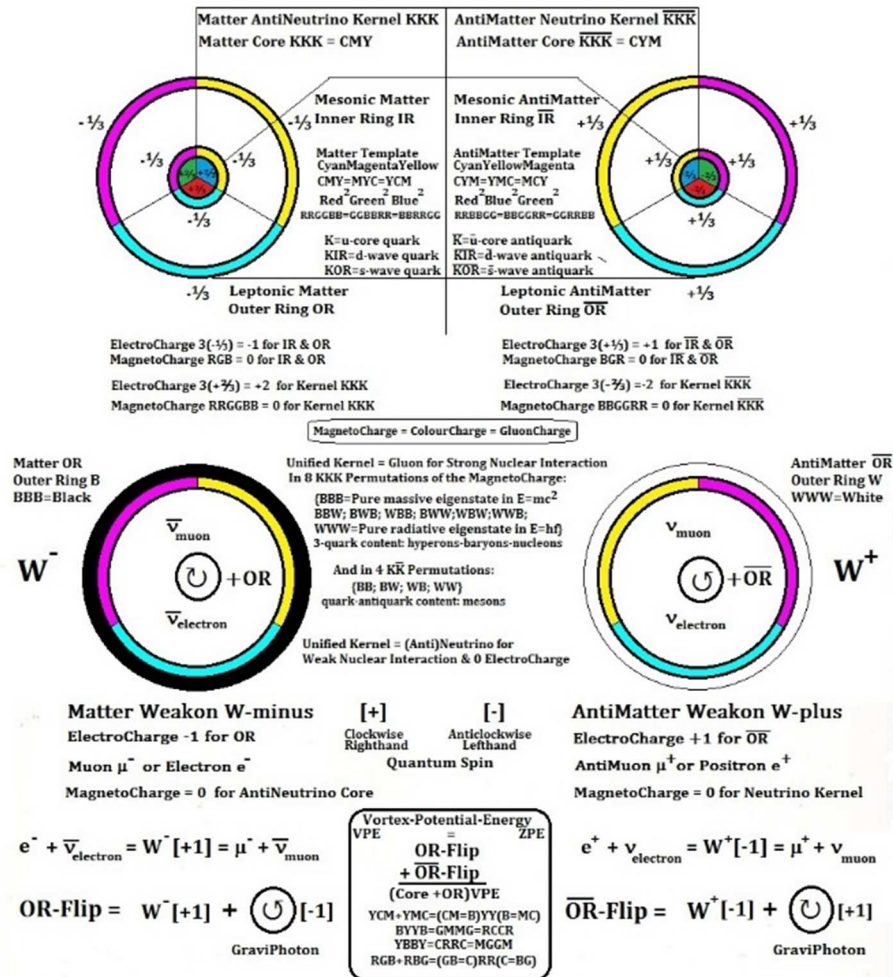
Kernel-Ring Mixing Constant: $K_X/R_L = m_c Y^n / 3m_{LB} = 958.991 / (3 \times 111.045) = 2.8786858$
for $n_{present} = 1.132711$[Eq.18]

Nucleonic Upper Limit: $m_c Y^n_{present} = 1.71175285 \times 10^{-27} \text{ kg}^* = 958.9912423 \text{ MeV}^*$

Unitary Coupling Force: $\varpi(n_{present}) / \sqrt{\{Y^n_{present}\}} = \#f(G).cf_{ps}\{\alpha_E/\alpha\} = 2\pi c G_0 m_{planck} m_{ps} m_e m_c \sqrt{(Y^n_{present})} / e h^2 = 1.33606051$

$\alpha_E = 2\pi G_0 m_c m_e / hc$ for $m_c \sqrt{(Y^n)}$; as ring masses $m_{e,\mu,\tau}$ are constant in kernel masses $\alpha_G = 2\pi G_0 m_c^2 / hc$ for kernel mass m_c as $m_c Y^n$

The Universal Quantum Geometric Matter-AntiMatter Template



Neutron \Rightarrow Proton + Electron + Electron AntiNeutrino

Basic Neutron Beta-Minus Decay: $n^0 [-\frac{1}{2}] \Rightarrow p^+ [-\frac{1}{2}] + e^- [-\frac{1}{2}] + \bar{\nu}_e [+1/2]$

$d[-\frac{1}{2}]u[+\frac{1}{2}]d[-\frac{1}{2}](\text{stable in nucleus}) \Rightarrow u[+\frac{1}{2}]d[-\frac{1}{2}]d[-\frac{1}{2}](\text{free}) \Rightarrow u[+\frac{1}{2}]d[-\frac{1}{2}]d[-\frac{1}{2}]$ (IR-OR Oscillation)

$\Rightarrow u[+\frac{1}{2}]d[-\frac{1}{2}][u[-\frac{1}{2}], W^+ [+1], GP[-1]] \Rightarrow u[-\frac{1}{2}]d[+\frac{1}{2}]u[-\frac{1}{2}] + e^- [-\frac{1}{2}] + \bar{\nu}_e [+1/2] \Rightarrow udu[-\frac{1}{2}] + \text{electron-OR}[-\frac{1}{2}] + \bar{\nu}_e [+1/2]$

Muon \Rightarrow Electron + Electron AntiNeutrino + Muon Neutrino

Basic Muon Weak Decay: $\mu^- [-\frac{1}{2}] \Rightarrow e^- [-\frac{1}{2}] + \bar{\nu}_e [+1/2] + \nu_\mu [-\frac{1}{2}]$

$OR^- [-\frac{1}{2}] (\text{free}) \Rightarrow OR^- [-\frac{1}{2}]$ (KKK-OR Oscillation) $\Rightarrow (\nu_\mu, OR)^- [-\frac{1}{2}]. (W^+ [+1], GP[-1]) \Rightarrow e^- [-\frac{1}{2}] + \bar{\nu}_e [+1/2] + \nu_\mu [-\frac{1}{2}]$

Only lefthanded matter particles and only righthanded antimatter particles participate in the Weak Nuclear Interaction in a fundamental Nonparity between Matter and Antimatter and as a consequence of the magnetocharged gauge interaction particles suppressing any naturally occurring antimatter in an inflationary and 'Big Bang prior' radiation-antiradiation grand symmetry 'Goldstone Boson' superstring unification:

RGB/SourceSink Photon(+1)+BGR/SinkSource Photon(+1)+RestMass Photon(-1)+RGB/Gluon(+1) +BGR/Graviton(-2)=0 and in coupling to the templates for Matter YCM and Antimatter MCY.

The suppressed SinkSource Photon (Devil/AntiGod Particle) with the 'Dark Matter/Energy Particle' descriptive in the definition of Consciousness/Space Awareness transforms into a Scalar Higgs Gauge Boson to form a recreated Supersymmetry in the Unified Field of Quantum Relativity or UFOQR.

The Gauge Photon RGB(+1) can also be described in the high energy vibratory part Eps of the supermembrane EpsEss with the Gauge Photon BGR(+1) its low energy wined conjugative part Ess.

The Scalar Higgs AntiNeutrino (RGB)⁴[0] + (RGB)²[+1/2] creates the Tau AntiNeutrino $\bar{\nu}_\tau [+1/2]$ in Leptonic Energy Resonance. The Scalar Higgs Neutrino (BGR)⁴[0] + (BGR)²[-1/2] creates the Tau Neutrino $\nu_\tau [-1/2]$ in Anti-Leptonic Energy Resonance.

Graviton-GI mass: #f(G)=alpha.m_{planck}/[ec]_{uimd} transforms m_{ps} from m_{planck} in m_{XB}

Coupling angle: θ_{ps}(n_{present}) = Arcsin(X/ϖ(n_{present})) = Arcsin(0.4625...) = 27.553674°

Upper Bound Multiplier = 1/Lower Bound Multiplier

ULM = 1/LBM = 90°/θ_{ps}(n_{present}) = 3.26663521

Using those definitions allows construction for the diquark hierarchies following.

We next reduce the atomic scaling to its intrinsic superstring dimension in deriving the Higgs Bosonic Restmass Induction, corresponding to the Dilaton of M-Theory.

Renormalizing the wavefunction B(n) about the FRB = -1/2 as maximum ordinate gives a probability y²dV for y(0) = √(alpha/2π) for the renormalization.

Alpha/2π being the probability of finding the FRB fluctuation for the interval [-X,X-1] in volume element dV as the uncertainty fluctuation.

This volume element defines the dimensional intersection from C-Space into F-Space via M-Space in the topological mapping of the complex Riemann C_∞-Space about the Riemann pole of the FRB as the Calabi-Yau superstring space in 10 dimensions.

For T²(n) = 1 = X(X+1) = -i² = -XY in the Feynman-Path-Integral as alternative quantum mechanical formulation for the equations of Schrödinger, Dirac and Klein-Gordon by: T(n)=n(n+1)=|-n|+...+|-3|+|-2|+|-1|+ 0 + 1 + 2 + 3 +...+ n

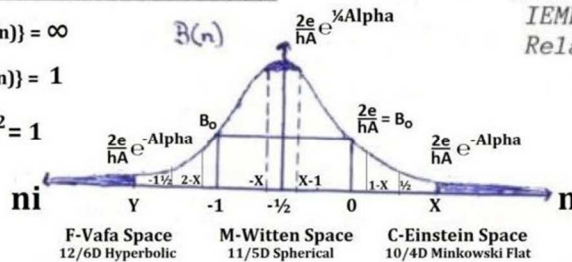
B(n) = 2e/hA.exp[-Alpha.T(n)]

(Universal Cosmic Wavefunction or IEMR=Inverse-Energy-Magnetocharge-Relation for Superstring HE(8x8))

Alaph-Null: lim_{n→∞}{T(n)} = ∞

Alaph-All: lim_{n→-∞}{T(n)} = 1

|X+Y|=|XY|= -i² = 1



The universe is 'frozen' in M-Space at the X-coordinate for which T(n)=1 and imaged in the Y-coordinate as imaginary time n_i as function B(n)

T(n)=n(n+1) defines the summation of particle histories (Feynman) and B(n) establishes the v/c ratio of Special Relativity as a Binomial Distribution about the roots of the XY=i² boundary condition in a complex Riemann Analysis of the Zeta Function about a 'Functional Riemann Bound' FRB=-1/2.

This probability then crystallizes in Juju's equation for the monopolar electron velocity:

$$\{v_{ps}/c\}^2 = 1/\{1 + 4\pi^2 r_{ec}^4/\alpha^2 \lambda_{ps}^4\} = 1/\{1 + r_{ec}^4/4\pi^2 \alpha^2 r_{ps}^4\}.....[Eq.5]$$

X = 1/2(√5-1) = 0.618033..... and Y = -(X+1) = -1/2(√5+1) = -1.618033...

-X(X-1) = 0.236067... in analogue to X(X+1) = 1 = T(n) and XY = X+Y = -1 = i² as the complex origin. But 0.236067... = X³, so defining the 'New Unity' as #³ = Alpha and the precursive unity as the Cube root of Alpha or as # in the symmetry #: #³ = SNI:EMI = Strong Nuclear Interaction Strength {Electromagnetic Interaction Strength}.

The Strong-Interaction-Constant $SIC = \sqrt{\text{Alpha}} = \sqrt{e^2/2\epsilon_0 hc} = \sqrt{(60\pi e^2/h)}$ in standard and in string units, reduces the SNI fine structure constant $\#$ by a factor $\text{Alpha}^{1/6}$; that is in the sixth root of alpha and so relates the SIC at the post quantization level as $\#$ to the pre-quantum epoch as $SIC = \sqrt{\text{Alpha}} = \#^{3/2}$.

The SNI is therefore so 11.7 times weaker at the XL-Boson 'Grand-Unification-Time' SEW.G of heterotic superstring class HO(32), then at the $E_{ps}E_{ss}$ time instantaneity S.EW.G of the superstring of the Quantum Big Bang in heterotic class HE(8x8) {this is the string class of Visi in the group theories}.

This then is the Bosonic Gauge Heterosis Coupling between superstrings HO(32) and HE(8x8). The coupling between superstrings IIA (ECosmic and manifesting the cosmic rays as superstring decay products) and IIB (Magnetic Monopole) derives directly from the B(n), with $B(n=0) = J_0 = 2e/hA = 0.9927298 \text{ 1/J}^*$ or $6.2705 \times 10^9 \text{ GeV}^*$ and representative of the ECosmic string class and the super high energy resonances in the cosmic ray spectrum, bounded in the monopolar resonance limit of $2.7 \times 10^{16} \text{ GeV}^*$.

The Unity of the SNI transforms to $[1-X] = X^2$ and the EMI transforms as the Interaction of Invariance from X to X.

The Weak Nuclear Interaction or WNI as X^2 becomes $[1+X] = 1/X$ and the Gravitational Interaction or GI transforms as X^3 transforms to $[2+X] = 1/X^2$ by modular symmetry between X and Alpha and the encompassing Unification Unity: $[1-X][X][1+X][2+X] = 1$.

This Unification Polynomial $U(u) = u^4 + 2u^3 - u^2 - 2u + 1 = 0$ then has minimum roots (as quartic solutions) at the Phi = X and the Golden Mean $Y = -(1+X)$.

This sets the coupling between SNI and EMI as X; the coupling between EMI and WNI becomes X^2 and the coupling between WNI and GI then is again X.

The general Force-Interaction-Ratio so is: $SNI:EMI:WNI:GI = SEWG = \#:\#^3:\#^{18}:\#^{54}$.

Typical decay rates for the nested fundamental interactions then follow the order in the light path $lp = ct_k$:

$$t_{SNI} = R_e/c = 2.777... \times 10^{-15} \text{ m}^*/3 \times 10^8 \text{ m}^*/s^* = 0.925925... \times 10^{-24} \text{ s}^* \sim \text{Order } (10^{-23} \text{ s}^*)$$

$$t_{EMI} = t_{SNI}/\alpha = 10^{-23} \text{ s}^*/(7.30 \times 10^{-3}) = 1.37 \times 10^{-21} \text{ s}^* \sim \text{Order } (10^{-21} \text{ s}^*)$$

$$t_{WNI} = t_{SNI}/\alpha^6 = 10^{-23} \text{ s}^*/(1.51 \times 10^{-13}) = 6.62 \times 10^{-11} \text{ s}^* \sim \text{Order } (10^{-10} \text{ s}^*)$$

$$t_{GI} = t_{SNI}/\alpha^{18} = 10^{-23} \text{ s}^*/(3.44 \times 10^{-39}) = 2.91 \times 10^{15} \text{ s}^* \sim \text{Order } (10^{15} \text{ s}^* \sim 92 \text{ million years})$$

characterizing the half-lives of trans uranium elements like Plutonium Pu-244 at $79 \times 10^6 \text{ y}$

This is the generalization for the cubic transform: $x \rightarrow x^3$ with the Alpha-Unity squaring in the functionality of the WNI and defining G-Alpha as Alpha^{18} in the Planck-Mass transforming in string bosonic reduction to a basic fundamental nucleonic mass (proton and neutrons as up-down quark conglomerates and sufficient to construct a physical universe of measurement and observation):

$m_c = m_{\text{planck}} \text{Alpha}^9$ from the electromagnetic string unification with gravitation in the two dimensionless fine structures:

For Gravitational Mass Charge from higher D Magnetic Charge: $1 = 2\pi G_o \cdot m_{\text{planck}}^2 / hc$

For Electromagnetic Coulomb Charge as lower D Electric Charge: $\text{Alpha} = 2\pi k e^2 / hc$

Alpha as the universal master constant of creation, then becomes defined via the Riemann Analysis from $XY = i^2$ definition, reflecting in modulation in the statistical renormalization of the B(n) as the probability distributions in quantum wave mechanics, however.

U(u) has its maximum at $u = -1/2 = \text{FRB}$ for $U(-1/2) = 25/16 = (5/4)^2$ for the B(n) supersymmetry.

A symmetry for B(n) is found for $i^2 \cdot U(u) = 0$ for an $\text{FRB} = 1/2$ indicating a cosmological relationship to the Riemann hypothesis with respect to the distribution of prime numbers and Riemann's zeta function.

The derivation of the HBRMI draws upon this definition process and sets the coupling angle as $\text{Arcsin}(X/\varpi)$ for a Unitary 'Force' $\varpi = (\#f_G) \cdot c f_{ps} E\text{-Alpha} / \text{Alpha}$ and with the electron mass replacing the fundamental nucleon mass m_c in the definition of E-Alpha.

A disassociated GI unifies with the WNI in the L-Boson and is supersymmetric to an intrinsic unification between the SNI and the EMI as the X-Boson for the duality $f_G f_S = 1$ in modular definition of a characteristic GI-mass $\#f_G$ as the disassociated elementary gauge field interaction. The transformation of the 5 superstring classes proceeds in utilizing the self-duality of superstring IIB as the first energy transformation of the Inflaton in the Planck string class I transmutating into the monopole string class IIB.

Wikipedia reference:

F-theory is a branch of [string theory](#) developed by [Cumrun Vafa](#).^[1] The new [vacua](#) described by F-theory were discovered by Vafa and allowed string theorists to construct new realistic vacua — in the form of F-theory [compactified](#) on elliptically fibered [Calabi–Yau](#) four-folds. The letter "F" supposedly stands for "Father".^[2]

F-theory is formally a 12-dimensional theory, but the only way to obtain an acceptable background is to [compactify](#) this theory on a [two-torus](#). By doing so, one obtains [type IIB superstring theory](#) in 10 dimensions. The [SL\(2,Z\) S-duality](#) symmetry of the resulting type IIB string theory is manifest because it arises as the group of [large diffeomorphisms](#) of the two-dimensional [torus](#)

The transformation of the 5 superstring classes proceeds in utilizing the self-duality of superstring IIB as the first energy transformation of the Inflaton in the Planck string class I transmutating into the monopole string class IIB and residing in the 2-toroidal bulk space of Vafa as our Riemann 3-dimensional surface describing the VPE-ZPE of the micro quantum of the qbb. The E_{ps} -Weyl wormhole of topological closure so is holographically and conformally mapped onto the bulk space in 12 dimensions as a braned volumar evolving by mirror duality of the 11dimensional closed AdS membrane space of Witten's M-space as Vafa's F-space and mirroring the hyperbolic topology of 10-dimensional C-space as an open dS cosmology in an overall measured and observed Euclidean flatness of zero curvature.

Vafa's F-space so can be named the omniverse hosting multiple universes which are nested in parallel time space and defined in particular initial and boundary conditions valid and applicable for all universes as a multiversal parameter space.

The quantization of mass m so indicates the coupling of the Planck Law in the frequency parameter to the Einstein law in the mass parameter.

The postulated basis of M-Theory utilizes the coupling of two energy-momentum eigenstates in the form of the modular duality between so termed 'vibratory' (high energy and short wavelengths) and 'winding' (low energy and long wavelengths) self-states.

The 'vibratory' self-state is denoted in: $E_{ps}=E_{\text{primary sourcesink}} = hf_{ps} = m_{ps}c^2$ and the 'winding' and coupled self-state is denoted by: $E_{ss} = E_{\text{secondary sinksources}} = hf_{ss} = m_{ss}c^2$.

The F-Space Unitary symmetry condition becomes: $f_{ps}f_{ss} = r_{ps}r_{ss} = (\lambda_{ps}/2\pi)(2\pi\lambda_{ss}) = 1$

The coupling constants between the two eigenstates are so: $E_{ps}E_{ss} = h^2$ and $E_{ps}/E_{ss} = f_{ps}^2 = 1/f_{ss}^2$

The Supermembrane $E_{ps}E_{ss}$ then denotes the coupled superstrings in their 'vibratory' high energy and 'winded' low energy self-state within an encompassing super eigen state of quantum entanglement.

The coupling constant for the vibratory high energy describes a maximized frequency differential over time in $df/dt|_{\text{max}} = f_{ps}^2$ and the coupling constant for the winded low energy describes its minimized reciprocal in $df/dt|_{\text{min}} = f_{ss}^2$.

F-Theory also crystallizes the following string formulations from the $E_{ps}E_{ss}$ super brane parameters.

Electromagnetic Fine structure: $\alpha_e = 2\pi ke^2/hc = e^2/2\epsilon_0hc = \mu_0e^2c/2h = 60\pi e^2/h \dots\dots\dots$

(Planck-Stoney-QR units *)

Gravitational Fine structure (Electron): $\alpha_g = 2\pi G_0 m_e^2/hc = \{m_e/m_{\text{Planck}}\}^2$

Gravitational Fine structure (Primordial Nucleon): $\alpha_n = 2\pi G_0 m_c^2/hc$

Gravitational Fine structure (Planck Boson): $\alpha_{\text{Planck}} = 2\pi G_0 m_{\text{Planck}}^2/hc$

$$1/E_{ps} = e^* = 2R_e c^2 = \sqrt{\{4\alpha_h c e^2 / 2\pi G_0 m_e^2\}} = 2e\sqrt{\alpha} [m_p/m_e] = 2e\sqrt{\{\alpha_e/\alpha_g\}} = \{2e^2/m_e\} \sqrt{(k/G_0)} = 2e^2/G_0 m_e = e^2/2\pi\epsilon_0 m_e \text{ for } G_0 = 1/k = 4\pi\epsilon_0$$

for a cosmological unification of fine structures in unitary coupling $E^* \cdot e^* = 1$ in $[Nm^2/kg^2] = [m^3s^{-2}/kg] = 1/[Nm^2/C^2] = [C^2 m^{-3} s^2/kg]$ for $[C^2] = [m^6/s^4]$

$$\text{and } [C] = [m^3/s^2]. E_{ps} = 1/E_{ss} = 1/e^* = \sqrt{\{\alpha_g/\alpha_e\}}/2e = G_0 m_e / 2e^2$$

Here e^* is defined as the inverse of the sourcesink vibratory superstring energy quantum $E_{ps} = E^*$ and becomes a New Physical Measurement Unit is the Star Coulomb (C^*) and as the physical measurement unit for 'Physical Consciousness'.

R_e is the 'classical electron radius' coupling the 'point electron' of Quantum- Electro-Dynamics (QED) to Quantum Field Theory (QFT) and given in the electric potential energy of Coulomb's Law in: $m_e c^2 = k e^2 / R_e$; and for the electronic monopolar rest mass m_e .

Alpha α is the electromagnetic fine structure coupling constant $\alpha = 2\pi k e^2 / hc$ for the electric charge quantum e , Planck's constant h and lightspeed constant c .

G_0 is the Newtonian gravitational constant as applicable in the Planck-Mass $m_p = \sqrt{(hc/2\pi G_0)}$ and the invariance of the gravitational parameter $G(n)M(n) = G_0 X^n \cdot m_c Y^n$.

As the Star Coulomb unit describes the inverse sourcesink string energy as an elementary energy transformation from the string parametrization into the realm of classical QFT and QED, this transformation allows the reassignment of the Star Coulomb (C^*) as the measurement of physical space itself.

The following derivations lead to a simplified string formalism as boundary- and initial conditions in a de Sitter cosmology encompassing the classical Minkowskian-Friedmann spacetimes holographically and fractally in the Schwarzschild metrics.

The magnetic field intensity B is classically described in the Biot-Savart Law:

$$B = \mu_0 q v / 4\pi r^2 = \mu_0 i / 4\pi r = \mu_0 q \omega / 4\pi r = \mu_0 N e f / 2r$$

for a charge count $q = Ne$; angular velocity $\omega = v/r = 2\pi f$; current $i = dq/dt$ and the current element $i \cdot dl = dq \cdot (dl/dt) = v dq$.

The Maxwell constant then can be written as an (approximating) fine structure: $\mu_0 \epsilon_0 = 1/c^2 = (120\pi/c)(1/120\pi c)$ to crystallize the 'free space impedance'

$$Z_0 = \sqrt{(\mu_0/\epsilon_0)} = 120\pi \sim 377 \text{ Ohm } (\Omega).$$

This vacuum resistance Z_0 so defines a 'Unified Action Law' in a coupling of the electric permittivity component (ϵ_0) of inertial mass and the magnetic permeability component (μ_0) of gravitational mass in the Equivalence Principle of General Relativity.

A unified self-state of the pre-inertial (string- or brane) cosmology so is obtained from the fine structures for the electric- and gravitational interactions coupling a so defined electropolar mass to magnetopolar mass respectively.

The Planck-Mass is given from Unity $1 = 2\pi G m_p^2 / hc$ and the Planck-Charge derives from Alpha $= 2\pi k e^2 / hc$ and where $k = 1/4\pi \epsilon_0$ in the electromagnetic fine structure describing the probability interaction between matter and light (as about 1/137).

The important aspect of alpha relates to the inertia coupling of Planck-Charge to Planck-Mass as all inertial masses are associated with Coulombic charges as inertial electropoles; whilst the stringed form of the Planck-Mass remains massless as gravitational mass. It is the acceleration of electropoles coupled to inertial mass, which produces electromagnetic radiation (EMR); whilst the analogy of accelerating magnetopoles coupled to gravitational mass and emitting electromagnetic monopolar radiation (EMMR) remains hitherto undefined in the standard models of both cosmology and particle physics.

But the coupling between electropoles and magnetopoles occurs as dimensional intersection, say between a flat Minkowskian spacetime in 4D and a curved de Sitter spacetime in 5D (and which

becomes topologically extended in 6-dimensional Calabi-Yau tori and 7-dimensional Joyce manifolds in M-Theory).

The formal coupling results in the 'bounce' of the Planck-Length in the pre-Big Bang scenario, and which manifests in the de Broglie inflaton-instanton.

The Planck-Length $L_P = \sqrt{(hG/2\pi c^3)}$ 'oscillates' in its Planck-Energy $m_P = h/\lambda_{Pc} = h/2\pi c L_P$ to give $\sqrt{\text{Alpha}} \cdot L_P = e/c^2$ in the coupling of 'Stoney units' suppressing Planck's constant 'h' to the 'Planck units' suppressing charge quantum 'e'.

Subsequently, the Planck-Length is 'displaced' in a factor of about $11.7 = 1/\sqrt{\text{Alpha}} = \sqrt{(h/60\pi)}/e$ and using the Maxwellian fine structures and the unity condition $kG=1$ for a dimensionless string coupling $G_o = 4\pi\epsilon_o$, describing the 'Action Law' for the Vacuum Impedance as $\text{Action}=\text{Charge}^2$, say via dimensional analysis:

$Z_o = \sqrt{([Js^2/C^2m]/[C^2/Jm])} = [Js]/[C^2] = [\text{Action}/\text{Charge}^2]$ in Ohms $[\Omega = V/I = Js/C^2]$ and proportional to $[h/e^2]$ as the 'higher dimensional source' for the manifesting superconductivity of the lower dimensions in the Quantum Hall Effect ($\sim e^2/h$), the conductance quantum ($2e^2/h$) and the Josephson frequencies ($\sim 2e/h$) in Ohms $[\Omega]$.

This derivation so indicates an electromagnetic cosmology based on string parameters as preceding the introduction of inertial mass (in the quantum Big Bang) and defines an intrinsic curvature within the higher dimensional (de Sitter) universe based on gravitational mass equivalents and their superconductive monopolar current flows.

A massless, but monopolar electromagnetic de Sitter universe would exhibit intrinsic curvature in gravitational mass equivalence in its property of closure under an encompassing static Schwarzschild metric and a Gravitational String-Constant $G_o = 1/k = 1/30c$ (as given in the Maxwellian fine structures in the string space).

In other words, the Big Bang manifested inertial parameters and the matter content for a subsequent Cosmo evolution in the transformation of gravitational 'curvature energy', here called gravita as precursor for inertia into inertial mass seedlings; both however describable in Black Hole physics and the Schwarzschild metrics.

The Gravitational Fine structure so derives in replacing the Planck-Mass m_P by a proto-nucleonic mass: $m_c = \sqrt{(hc/2\pi G_o)} \cdot f(\text{alpha}) = f(\text{Alpha}) \cdot m_P$ and where $f(\text{Alpha}) = \text{Alpha}^9$.

The Gravitational fine structure, here named Omega, is further described in a five folded supersymmetry of the string hierarchies, the latter as indicated in the following below in excerpt. This pentagonal supersymmetry can be expressed in a number of ways, say in a one-to-one mapping of the Alpha fine structure constant as invariant X from the Euler Identity: $X+Y = XY = -1 = i^2 = \exp(i\pi)$.

One can write a Unification Polynomial: $(1-X)(X)(1+X)(2+X) = 1$ or $X^4+2X^3-X^2-2X+1 = 0$ to find the coupling ratios: $f(S):f(E):f(W):f(G) = \#_1\#_3^3:\#_1^{18}:\#_1^{54}$ from the proportionality $\#_1\#_3^3\{[(\#_3^2)]\}^3:\{[(\#_3^2)]\}^3 = \text{Cube root}(\text{Alpha}):\text{Alpha}:\text{Cuberoot}(\text{Omega}):\text{Omega}$.

The Unification polynomial then sets the ratios in the inversion properties under modular duality:

(1)[Strong short] $|_1(X)$ [Electromagnetic long] $|_1(X^2)$ [Weak short] $|_1(X^3)$ [Gravitational long] as
 $1|_1X|_1X^2|_1X^3 = (1-X)|_1(X)|_1(1+X)|_1(2+X)$.

Unity 1 maps as (1-X) transforming as f(S) in the equality (1-X) = X²; X maps as invariant of the function f(E) in the equality (X) = (X); X² maps as (1+X) transforming as f(W) in the equality (1+X) = 1/X; and X³ maps as (2+X) transforming as f(G) in the equality (2+X) = 1/X² = 1/(1-X). The mathematical pentagonal supersymmetry from the above then indicates the physicalised T-duality of M-theory in the principle of mirror-symmetry and which manifests in the reflection properties of the heterotic string classes HO(32) and HE(64), described further in the following.

Defining f(S) = # = 1/f(G) and f(E) = #².f(S) then describes a symmetry breaking between the 'strong S' f(S) interaction and the 'electromagnetic E' f(E) interaction under the unification couplings.

This couples under modular duality to f(S).f(G) = 1 = #⁵⁵ in a factor #⁻⁵³ = f(S)/f(G) = {f(S)}² of the 'broken' symmetry between the long range- and the shortrange interactions.

SEWG = 1 = Strong-Electromagnetic-Weak-Gravitational as the unified supersymmetric identity then decouples in the manifestation of string-classes in the de Broglie 'matter wave' epoch termed inflation and preceding the Big Bang, the latter manifesting at Weyl-Time as a string transformed Planck-Time as the heterotic HE(64) class.

As SEWG indicates the Planck-String (class I, which is both open ended and closed), the first transformation becomes the suppression of the nuclear interactions sEwG and describing the self-dual monopole (string class IIB, which is loop-closed in Dirichlet brane attachment across dimensions say Kaluza-Klein R⁵ to Minkowskian R⁴ or Membrane-Space R¹¹ to String Space R¹⁰).

The monopole class so 'unifies' E with G via the gravitational fine structure assuming not a Weylian fermionic nucleon, but the bosonic monopole from the kG_o = 1 initial-boundary condition Gm_M² = ke² for m_M = ke = 30[ec] = m_P√Alpha.

The Planck-Monopole coupling so becomes m_P/m_M = m_P/30[ec] = 1/√Alpha with f(S) = f(E)/#² modulating

f(G) = #²/f(E)=1/# ↔ f(G){f(S)/f(G)} = # in the symmetry breaking f(S)/f(G) = 1/#⁵³ between short (nuclear asymptotic) and long (inverse square).

The short-range coupling becomes f(S)/f(W) = #/#¹⁸ = 1/#¹⁷ = Cube root(Alpha)/Alpha⁶ and the long-range coupling is Alpha/Omega = 1/Alpha¹⁷ = #³/#⁵⁴ = 1/#⁵¹ = 1/(#¹⁷)³.

The strong nuclear interaction coupling parameter so becomes about 0.2 as the cube root of alpha and as measured in the standard model of particle physics in the form of an energy dependent 'running coupling constant' and which takes a value of α_Z = 0.1184 at the energy level of the Z⁰ weakon at about 92 GeV.

The monopole quasi-mass [ec] describes a monopolar source current e_f from the unification identity $1/e \cdot f_{ps} = h = E \cdot f_{ps}$ as a fine structure for Planck's constant h , manifesting for a displacement $\lambda = c/f$. This is of course the GUT unification energy of the Dirac Monopole at precisely $[c^3]$ eV or 2.7×10^{16} GeV and the upper limit for the Cosmic Ray spectra as the physical manifestation for the string classes: {I, IIB, HO(32), IIA and HE(64) in order of modular duality transmutation}.

The transformation of the Monopole string into the XL-Boson string decouples Gravity from sEwG in sEw.G in the heterotic superstring class HO(32). As this heterotic class is modular dual to the other heterotic class, HE(64), it is here, that the proto nucleon mass is defined in the modular duality of the heterosis in: $\Omega = \alpha^{18} = 2\pi G_o m_c^2 / hc = (m_c / m_p)^2$.

The HO(32) string bifurcates into a quarkian X-part and a leptonic L-part, so rendering the bosonic scalar spin as fermionic half spin in the continuation of the 'breaking' of the supersymmetry of the Planckian unification. Its heterosis with the Weyl-string then decouples the strong interaction at Weyl-Time for a Weyl-Mass m_W , meaning at the time instanton of the end of inflation or the Big Bang in sEw.G becoming s.Ew.G.

The X-Boson then transforms into a fermionic proto nucleon triquark-component (of energy $\sim 10^{-27}$ kg or 560 MeV) and the L-Boson transforms into the proto-muon (of energy about 111 MeV).

The last 'electroweak' decoupling then occurs at the Fermi-Expectation Energy about 1/365 seconds after the Big Bang at a temperature of about 3.4×10^{15} K and at a 'Higgs Boson' energy of about 298 GeV.

A Bosonic decoupling preceded the electroweak decoupling about 2 nanoseconds into the cosmogenesis at the Weyl-temperature of so $T_{Weyl} = T_{max} = E_{Weyl} / k = 1.4 \times 10^{20}$ K as the maximum Black Hole temperature maximized in the Hawking MT modulus and the Hawking-Gibbons formulation: $M_{critical} T_{min} = \frac{1}{2} M_{Planck} T_{Planck} = (hc / 2\pi G_o) (c^2 / 2k) = hc^3 / 4\pi k G_o$ for $T_{min} = 1.4 \times 10^{-29}$ K and Boltzmann constant k .

The Hawking Radiation formula results in the scaling of the Hawking MT modulus by the factor of the 'Unified Field' spanning a displacement scale of 8π radians or 1440° in the displacement of $4\lambda_{ps}$.

The XL-Boson mass is given in the quark-component: $m_X = \#^3 m_{Weyl} / [ec]_{mod} = 1.9 \times 10^{15}$ GeV modulated in $(SNI/EMI = \sqrt[3]{\{\alpha\} / [\alpha]})$, the intrinsic unified Strong-Electroweak Interaction-Strength for the Kernel part in the Quark-Lepton hierarchy.

The LX-Boson mass is given in the lepton-component: $m_L = \Omega \cdot [ec] / \#^2 = ([\Omega] \cdot [ec]) / (m_{ps} \cdot \sqrt[3]{\alpha^2}) = \#^{52} [ec / m_{Weyl}] \sim 111$ MeV in functional operators $f(G) \cdot x f(S) = 1$ for the Ring part in the Quark-Lepton hierarchy.

In particular $f(G)/m_{\text{planck}} \leftrightarrow \#^2/[ec]$ for $\#(m_{\text{ps}}/m_{\text{planck}})f(G)$ and the X-Boson and $f(S).m_{\text{planck}} \leftrightarrow [ec]/\#^2$ for $\#^{54}[(m_{\text{planck}}/m_{\text{ps}})f(S)]$ for the L-Boson.

The X-Boson's mass is: $([\text{Alpha } \alpha]x m_{\text{ps}}/[ec])$ modulated in $(\text{SNI}/\text{EMI}=\sqrt[3]{\{\text{Alpha}\}/[\text{Alpha}]})$, the intrinsic unified Strong-Electroweak Interaction-Strength and the L-Boson's mass in: $([\text{Omega}]x[ec])/(m_{\text{ps}}.\sqrt[3]{\alpha^2})$.

When the heavy electron known as the muon was accidentally discovered in the late 1930s, Nobel physicist Isidor Isaac Rabi famously remarked, "Who ordered that?"

It is this lepton component which necessitates the existence of the muon (and the tauon and their neutrino partners as constituents of the weak interaction gauge bosons) as a 'heavy electron', as the quantum geometry defines the muon mass in a decoupling of the L_1 energy level given in a diquark hierarchy and based on a quantum geometry of the quantum relativity:

Ten DIQUARK quark-mass-levels crystallize, including a VPE-level for the K-IR transition and a VPE-level for the IR-OR transition:

Quark Level	Kernel-Energy in MeV*	K-Mean(x 1/2) in MeV*	Ring-Energy in MeV*	IR-OR.Mean.in.Me V*	Ground state K-Mean-IR-OR-Mean	Comment
VPE-Level [K-IR]	26.4924-29.9618	$g_{L2} = 14.1135$ 5	2.8175 - 3.1865	$L_2 = 1.5010 = \text{mu}$	12.6126	K-IR VPE
VPE-Level [IR-OR]	86.5334-97.8657	$g_{L1} = 46.100$ 1	9.2030 - 10.408	$L_1 = 4.9028 = \text{md}$	$GS_2=GS_{VPE}= 41.198$ $ms=2g_{L1}+L_1+L_2 = g_{L1}+g_{L2}+2L_{u,d}+L_1+L_2 = 98.645; 98.604$ $\Delta_s = 0.041$ $= g_{L2} - g_{L1} + 2L_{u,d}$	IR-OR VPE Ground-OR electron level
Quark UP/DOWN-Level	282.648 7-319.663 7	$g_{u,d} = 150.578$ 1	30.060 - 33.997	$L_{u,d} = 16.014$	$GS_3=GS_{u,d}= 134.5641$ Pionium	K-KIR basis

$u=K; d=K+IR$ $ubar=Kbar;$ $dbar=Kbar+IRbar$						
Quark STRANGE-Level $s=K+OR$ $sbar=Kbar+ORbar$	923.230 2- 1,044.13	$g_s =$ 491.840 1	98.187 - 111.04 5 muon energy	$L_s = 52.308$	$GS_4=GS_s=$ 439.5321 Kaonium	KIR-KOR basis 1st (K)-OR- Muon level $d \leftrightarrow s$ $KIR \leftrightarrow KOR$ Resonance
Diquark CHARM-Level $c=U.ubar=uu.ubar$ $cbar=Ubar.u$ $=(uu)bar.u$	3,015.59 - 3,410.51	$g_{cU} =$ 1,606.53 $g_{cU}-L_{cU}-$ $g_{u,d}$ $=mcU^*=$ 1,285.09	320.71 - 362.71	$L_{cU} = 170.86$	$GS_5=GS_{cU}=$ 1,435.67 Charmonium Pole mass $=GS_{cU}+0.L_{cU}=$ 1,435.67	active singlet apparent
Diquark BEAUTY-Level BOTTOM-Level $b=(ud)bar$ $=(ud).ubar$ $bbar=(ud)$ $=(ud)bar.u$	9,849.99 - 11,139.9 3	$g_b =$ 5,247.48 $g_b-L_b-g_s$ $=mb^*=$ 4,197.56	1,047.6 - 1,184.7	$L_b = 558.08$	$GS_6=GS_b=$ 4,689.40 Bottonium Pole mass $=GS_b+0.L_b$ $+1/2(g_{L1}+g_{L2})=$ 4,719.51	active doublet apparent
Diquark MAGIC-Level $M=(us)bar$ $=(us).ubar$ $Mbar=(us)$ $=(us)bar.u$	32,173.6 - 36,386.9	$g_M =$ 17,140.1 3	3,421.7 - 3,869.8	$L_M = 1,822.88$ max Tauon energy	$GS_7=GS_M=$ 15,317.25 Magiconium Pole mass $=GS_M+1/2L_M$ $+1/2(g_{L1}+g_{L2})+$ $1/2(L_1+L_2)=$ 16,262.00	suppressed doublet-1 in 2nd K- OR-Tauon level $M=us$ and $M.Mbar=V$

						PE in b.bbar resonance
Diquark DAINTY-Level D=(dd)bar =(ud).dbar Dbar=(dd) =(ud)bar.d	105,090- 118,852	$g_D =$ 55,985.5	11,177 - 12,640	$L_D = 5,954.25$	$GS_8 = GS_D =$ 50,031.25 Daintonium Pole mass = $GS_D + 0.L_D$ + $(g_{L1} + g_{L2}) =$ 50,091.46	suppressed triplet-1 in D=dd and D.Dbar=VP E in no IROR oscillation
Diquark TRUTH-Level TOP-Level t=(ds)bar =(ud).sbar tbar=(ds) =(ud)bar.s	343,261- 388,214	$g_t =$ 182,869 $g_t - L_t + g_s$ = $mt^* =$ 163,912. 6	36,506 - 41,287	$L_t = 19,448.25$	$GS_9 = GS_t =$ 163,420.75 Toponium Pole mass = $GS_t + \frac{1}{2}.L_t$ + $(g_{L1} + g_{L2}) +$ $\frac{1}{2}(L_1 + L_2) =$ 173,208.3	active triplet apparent
Diquark SUPER-Level S=(ss)bar =(us)sbar Sbar=(ss)=(us)b ar.s	1,120,59 2- 1,268,04 4	$g_S =$ 597,159. 0	119,24 3- 134,85 8	$L_S = 63,525.27$	$GS_{10} = GS_S =$ 533,633.73 Superonium Pole mass = $GS_S + L_S$ + $(g_{L1} + g_{L2}) +$ $(L_1 + L_2) =$ 597,225.6	suppressed triplet-2 in S=ss and S.Sbar=VP E in no ORIR oscillation

Quarkian Hierarchies in the Unified Field of Quantum Relativity

$$\begin{array}{l}
 \text{Operator } A\{u;d;s\} \Rightarrow \bar{c} \\
 \begin{array}{l}
 \overline{uu} \cdot uu = \bar{U} \cdot U \\
 \overline{ud} = \bar{u} \cdot \bar{u}d = \bar{c} + IR \\
 \overline{us} = \bar{u} \cdot \bar{u}s = \bar{c} + OR
 \end{array} \\
 \begin{array}{l}
 [-\frac{2}{3}, -\frac{2}{3}], [+ \frac{2}{3}, + \frac{2}{3}] \\
 \left\{ \begin{array}{l}
 u[+\frac{2}{3}] \\
 d[-\frac{1}{3}] \\
 s[-\frac{1}{3}]
 \end{array} \right\} \\
 [-\frac{4}{3}], [+ \frac{4}{3}] = [0] \quad [0]
 \end{array}
 \end{array}
 \quad
 \begin{array}{l}
 c \leftarrow \text{Operator } B=A^*\{u^*;d^*;s^*\} \\
 \begin{array}{l}
 t S \cdot \bar{S} t = \overline{dsss} \cdot sssd \\
 \overline{StD} = \overline{sssd} \cdot dd = c \\
 \overline{Stb} = \overline{sssd} \cdot ud = c + \overline{IR} \\
 \overline{StM} = \overline{sssd} \cdot us = c + \overline{OR}
 \end{array} \\
 \begin{array}{l}
 [-\frac{2}{3}], [-\frac{2}{3}], [+ \frac{2}{3}, + \frac{2}{3}] \\
 \left\{ \begin{array}{l}
 [-\frac{2}{3}] dd = \bar{D} \\
 [+ \frac{1}{3}] ud = \bar{b} \\
 [+ \frac{1}{3}] us = \bar{M}
 \end{array} \right\} \\
 [0] \quad [0] = [+ \frac{4}{3}], [- \frac{4}{3}]
 \end{array}
 \end{array}$$

$$\begin{array}{l}
 Uu = \overline{uuu} = \Delta^{++} \\
 Ud = \overline{uuu} + IR = \Delta^+ = \Delta^{++} + IR \\
 Us = \overline{uuu} + OR = \Sigma^{*+} = \Delta^{++} + OR \\
 \overline{StD} = \overline{sssd} \cdot dd = 2\Delta^{++} + 3IR + 3OR \\
 \overline{Stb} = \overline{sssd} \cdot ud = 2\Delta^{++} + 2IR + 3OR \\
 \overline{StM} = \overline{sssd} \cdot us = 2\Delta^{++} + 1IR + 4OR
 \end{array}$$

Matrix $|VPE| = \begin{bmatrix} K_1 & K_2 \\ L_1 & L_2 \end{bmatrix} = \begin{bmatrix} a & b \\ c & d \end{bmatrix}$ for $\text{Det}|VPE| = ad - bc = 0 = K_1L_2 - K_2L_1 = (46.100)(1.501) - (14.113)(4.903) = g_{L1}(mu) - g_{L2}(md)$

Matrix $|md;mu| = \begin{bmatrix} L_1 & L_2 \\ L_1 - L_2 & 0 \end{bmatrix} \begin{bmatrix} 1 \\ 0 \end{bmatrix} = \begin{bmatrix} L_1 + L_2 \\ L_1 - L_2 \end{bmatrix}$ for $\text{Det}|md;mu| = -2L_1L_2$ with $|md;mu|^{-1} = \frac{-1}{2L_1L_2} \begin{bmatrix} -L_2 & -L_2 \\ -L_1 & L_1 \end{bmatrix} = \frac{-1}{2mdmu} \begin{bmatrix} -mu & -mu \\ -md & md \end{bmatrix}$

Linear dependency given by $\text{Det}|VPE| = 0$ and $g_{L1} / g_{L2} = K_1 / K_2 = L_1 / L_2 = ULM = 3.2665...$

For $k=\{1;2;3;...8;9;10\}=\{2;1;(u,d);s;(cU);b;M;D;t;S\}$:

For 2 Groundstates GS with $n \geq 2$:

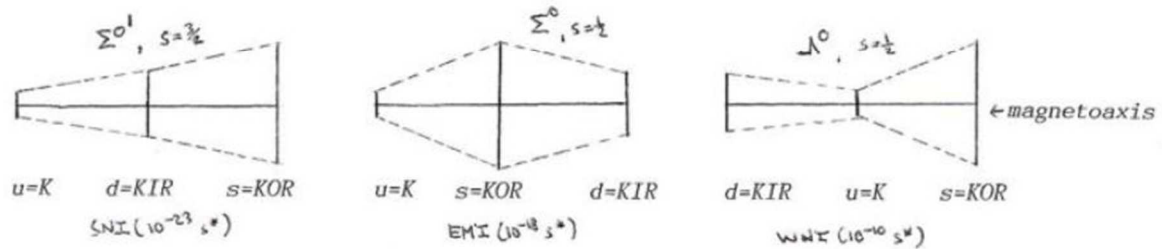
$$GS_n = GS_{n-1} + 2g_{n-1} + (ULM)^{n-2} \cdot \{ \frac{1}{3}e^-; \frac{2}{3}e^- \} - \Delta_s \quad \{ \Delta_s = g_{L2} - g_{L1} + 2L_{u,d} \text{ as the } [u,d]\text{-}[s] \text{ strange quark perturbation} \}$$

$d^*=s$ IR-OR Oscillation; i.e. neutron decay

particle	most symmetric quantum geometry	basic.symbol.energy partitioning for groundstates $g_k (+\Delta)$	energy values	energy * MeV*	energy SI MeV	particle name
p^+	u.d.u=KKIRK	$m_K + [L_2] - [e^-] - \frac{1}{3}[e^-]$	939.776+1.5013-0.5205-0.1735	940.5833	938.270	charge d proton
n^0	d.u.d=KIRKKI R	$m_K + 2[L_2] - 2[e^-] + \frac{1}{3}[e^-] - \Delta_s$	939.776+3.0026-1.0410+0.1735-0.041	941.8701	939.554	neutral neutron
μ^\pm	OR* in 1st OR		111.04536-	106.143-	105.658	charge

	oscillation	$m_L - L_1 - \Delta$ $n[L_s; 98.19-111.05]$	(4.9028+ Δ)	Δ	4	d muon
τ^\pm	OR** in 2nd OR oscillation	$L_M - m_L + 2g_s + L_s + L_{ud} + \Delta$	1822.88-111.05+0.9837+52.31 + 16.01+ Δ =1712.81+68.32+ Δ	1781.13+ Δ	1776.86	charge d tauon
π^0	u.ubar; d.dbar	$m_{gu,d} - L_{u,d} + e^- + \frac{1}{3}e^- + \Delta$	150.5781-16.014+0.6940+ Δ	135.258+ Δ	134.9776	neutral pion ground state
π^\pm	u.dbar; ubar.d	$m_{gu,d} - L_{u,d} + L_1 + e^- + \Delta$ $\pi^0 + L_1 - \frac{1}{3}e^- + \Delta$	150.5781-16.014+4.9028+ $\sim e^- + \Delta$ 135.258+4.9028-0.1735+ Δ	139.987+ Δ 139.987+ Δ	139.5702	charge d pion
λ^0	d.u.s	$m_n^0 + m_\pi^0 + g_{L2} - L_1 + \Delta$	941.911+135.26+46.100-4.903+ Δ	1118.37+ Δ	1115.683	neutral lambda

The importance of Kernel-Symmetry so is evidenced in the differentiation of the quarkian permutations and specifying for example the KKIRKOR quark state *uds* as a tripartite symmetry of *u.d.s* (least stability as SNI-decaying Sigma^{0'} resonance) and *u.s.d* (EMI-stable Sigma⁰ particle) and *d.u.s* (WNI-most stable Lambda⁰ particle).



1-10-19	AJS/ajs	$\Delta\Sigma/\alpha\sigma$	Aleph-א	Yod-י	Shin-ש	Q^{\pm}	$dud = \overset{0}{\Sigma}$ $d(-\frac{1}{2})u(\frac{1}{2})d(-\frac{1}{2})$ QGS Neutron(0)	$ud=b=K+KIR=KKIR$ $dd=D=KIRKIR$	$udd=ddu=KKK+IRIR$ $uD=bd=db=Du$	$udd=ddu=\overset{0}{\Delta}$ $u(-\frac{1}{2})d(-\frac{1}{2})d(-\frac{1}{2})$ SNI Delta(0)
2-11-20	BKT/bkt	$BKT/\beta\kappa\tau$	Bet-ב	Kaf-כ	Tav-ת		$udu = \overset{+}{\Sigma}$ $u(-\frac{1}{2})d(\frac{1}{2})u(-\frac{1}{2})$ QGS Proton(+)	$du=b=KIR+K=KIRK$ $uu=U=KK$	$duu=uud=KKK+IR$ $dU=bu=ub=dU$	$duu=uud=\overset{+}{\Delta}$ $d(-\frac{1}{2})u(-\frac{1}{2})u(-\frac{1}{2})$ SNI Delta(+)
3-12-21	CLU/clu	$\Gamma\Delta Y/\gamma\lambda\nu$	Gimel-ג	Lamed-ל	Tet-ט		$usu = \overset{+}{\Sigma}$ $u(-\frac{1}{2})s(\frac{1}{2})u(-\frac{1}{2})$ QGS Sigma(+)	$su=m=KOR+K=KORK$ $uu=U=KK$	$suu=uus=KKK+OR$ $sU=mu=um=Us$	$suu=uus=\overset{+}{\Sigma}$ $s(-\frac{1}{2})u(-\frac{1}{2})u(-\frac{1}{2})$ SNI Sigma(+)
4-13-22	DMV/dmv	$\Delta M\psi/\delta\mu\psi$	Dalet-ד	Mem-מ	Tsadi-צ		$dsd = \overset{-}{\Sigma}$ $d(-\frac{1}{2})s(\frac{1}{2})d(-\frac{1}{2})$ QGS Sigma(-)	$sd=t=KOR+KIR=KORKIR$ $dd=D=KKIRIR$	$sdd=dds=KKK+IRIROR$ $sD=td=dt=Ds$	$sdd=dds=\overset{-}{\Sigma}$ $d(-\frac{1}{2})s(-\frac{1}{2})d(-\frac{1}{2})$ SNI Sigma(-)
5-14-23	ENW/enw	$EN\Omega/\varepsilon\nu\omega$	He-ה	Nun-נ	Ghayin-ח	R^{\pm}	$sus = \overset{0}{\Sigma}$ $u(-\frac{1}{2})s(\frac{1}{2})u(-\frac{1}{2})$ QGS Xi-Chi(0)	$us=m=K+KOR=KKOR$ $ss=S=KORKOR$	$uss=ssu=KKK+OROR$ $uS=ms=sm=Su$	$uss=ssu=\overset{0}{\Sigma}$ $u(-\frac{1}{2})s(-\frac{1}{2})u(-\frac{1}{2})$ SNI Xi-Chi(0)
6-15-24	FOX/fox	$\Phi O X-\Xi/\varphi o \chi-\xi$	Vav-ו	Ayin-י	Samekh-ס		$sds = \overset{-}{\Sigma}$ $s(-\frac{1}{2})d(\frac{1}{2})s(-\frac{1}{2})$ QGS Xi-Chi(-)	$ds=t=KIR+KOR=KIRKOR$ $ss=S=KORKOR$	$dss=ssd=KKK+IROROR$ $dS=ts=st=5d$	$dss=ssd=\overset{-}{\Sigma}$ $d(-\frac{1}{2})s(-\frac{1}{2})d(-\frac{1}{2})$ SNI Xi-Chi(-)
7-16-25	GPY/gpy	$\Gamma^*I\Upsilon^*/\gamma^*\pi\Upsilon^*$	Gimel*-ג*	Pe-פ	Tet*-ט*		$uds = \overset{0}{\Sigma}$ $u(-\frac{1}{2})d(-\frac{1}{2})s(-\frac{1}{2})$ SNI* Sigma*(0)	$Uubar=K+K\text{-VPE}\bar{K} = c = u.\bar{u}.\bar{u}$ \uparrow SNI-Decay (-1/2-1)	$uuu=uU=Uu=KKK$	$uuu = \overset{+}{\Delta}$ $u(-\frac{1}{2})u(-\frac{1}{2})u(-\frac{1}{2})$ SNI Delta(+)
8-17-26	HQZ/hqz	$H\Theta Z/\eta\theta\zeta$	Het-ה	Qof-ק	Zayin-ז		$usd = \overset{0}{\Sigma}$ $u(-\frac{1}{2})s(\frac{1}{2})d(-\frac{1}{2})$ EMI Sigma(0)	$Ddbar=KIR+KIR\text{-VPE}\bar{K}\bar{I}\bar{R}$ \uparrow EMI-Decay (-1/2)	$ddd=dD=Dd=KKK+IRIRIR$	$ddd = \overset{-}{\Delta}$ $d(-\frac{1}{2})d(-\frac{1}{2})d(-\frac{1}{2})$ EMI Delta(-)
9-18-27	IRA*/ira*	$I^*P A^*/i^*\rho\alpha^*$	Yod*-י*	Resh-ר	Aleph*-א*	Q^{\pm}	$dus = \overset{0}{\Lambda}$ $d(-\frac{1}{2})u(-\frac{1}{2})s(-\frac{1}{2})$ QGS* Lambda(0)	$Ssbar=KOR+KOR\text{-VPE}\bar{K}\bar{O}\bar{R}$ \uparrow WNI-Decay (-1/2)	$sss=sS=Ss=KKK+OROROR$	$sss = \overset{-}{\Omega}$ $s(-\frac{1}{2})s(-\frac{1}{2})s(-\frac{1}{2})$ WNI Omega(-)

Mathimatia: $\text{Q}^{\pm} \times \text{Q}^{\pm} \times \text{Q}^{\pm} = 27$ Permutations YCM for 18+9 elementary particles

Quantum Spin
-1/2 + 1/2 - 1/2 = -1/2

QGS = Quantum Geometric Symmetry

-1/2 - 1/2 - 1/2 = -1/2
Quantum Spin

Ten DIQUARK quark-mass-levels crystallize, including a VPE-level for the K-IR transition and a VPE-level for the IR-OR transition:

The K-Means define individual materializing families of elementary particles:

- a (UP/DOWN-Mean) sets the (PION-FAMILY: π^0, π^+, π^-);
- a (STRANGE-Mean) specifies the (KAON-FAMILY: K^0, K^+, K^-);
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- a (SUPER-Mean) defines the final quark state in the (HIGGS/CHI=H/X-FAMILY).

The VPE-Means are indicators for average effective quark masses found in particular interactions.

Kernel-K-mixing of the wavefunctions gives $K(+)$ = 60.214 MeV* and $K(-)$ = 31.986 MeV* and the IROR-Ring-Mixing gives $L(+)$ = 6.404 MeV* and

$L(-)$ = 3.402 MeV* for a (L-K-Mean of 1.5010 MeV*) and a (L-IROR-Mean of 4.9028 MeV*); the Electropole ($[e^-]$ = 0.52049 MeV* and $3x(0.17350$ MeV* for $e^{\pm}/3$) as the effective electron mass and as determined from the electronic radius and the magneto charge in the UFOQR.

The rest masses for the elementary particles can now be constructed, using the basic nucleonic Restmass ($m_c=9.9247245 \times 10^{-28}$ kg*= $(\sqrt{\Omega \alpha m_p})$ for n_p as $1.71175286 \times 10^{-27}$ kg* or 958.99 MeV* and setting as the basic maximum

(UP/DOWN-K-mass=mass(KERNEL CORE)= $3 \times \text{mass(KKK)}=3 \times 319.6637$ MeV*=958.991 MeV*).

Subtracting the (Ring VPE $3xL(+)$ =19.215 MeV*, one gets the basic nucleonic K-state for the atomic nucleus (made from protons and neutrons) in: $\{m(n^0;p^+) = 939.776 \text{ MeV}^*\}$.

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KKK-Kernel mass = Up/Down-HiggsLevel= 3×319.66 MeV*= 958.99 MeV*, using the Kernel-Ring and Family-Coupling Constants.

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An electron perturbation subtracts one $2-2/3=4/3$ electron energy as the difference between 2 leptonic rings from the proton's 2 up-quarks and $2-1/3=5/3$ electron energy from the neutron's singular up-quark to relate the trisected nucleonic quark geometric template. The neutron's down-strange oscillation, enabling its beta decay into a left-handed proton, a left-handed electron and a right-handed antineutrino subtracts $\Delta_s = g_{L2} - g_{L1} + 2L_{u,d} = 0.041 \text{ MeV}^*$ as a $d^* = s$ quark differential.

Proton $m_p=u.d.u=K.KIR.K=(939.776+1.5013-0.5205-0.1735) \text{ MeV}^* = 940.5833 \text{ MeV}^*$ (938.270 MeV).

Neutron $m_n=d.u.d=KIR.K.KIR=(939.776+3.0026-1.0410+0.1735-0.041) \text{ MeV}^* = 941.8701 \text{ MeV}^*$ (939.554 MeV).

This is the ground state from the Higgs-Restmass-Induction-Mechanism and reflects the quarkian geometry as being responsible for the inertial mass differential between the two elementary nucleons. All ground state elementary particle masses are computed from the Higgs-Scale and then become subject to various fine structures. Overall, the measured gravitational constant 'G' can be said to be decreasing over time.

The Higgs Boson HB is said of having been measured in the decay of W's, Z's and Tau Leptons, as well as the bottom- and top-quark systems described in the table and the text addressing K-KIR-KOR transitions. The K means core for kernel and the IR means Inner Ring and the OR mean Outer Ring. The Rings are derivatives from the L-Boson of the HO(32 string class) and the Kernels are the products of the decay of the X-Boson from the same brane source. So the Tau-decay relates to 'Rings' which are charmed and strange and bottomized and topped, say. They are higher energy manifestations of the basic nucleons of the proton and the neutrons and basic mesons and hyperons.

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Now the most fundamental way to generate the Higgs Boson as a 'weak interaction' gauge is through the coupling of two equal mass, but oppositely charged W-bosons (of whom the Z⁰ is the uncharged counterpart).

We have seen, that the W-mass is a summation of all the other quark-masses as kernel-means from the strangeness upwards to the truth-quark level.

So simply doubling the 80.622 GeV* and 80.424 GeV mass of the weak-interaction gauge boson must represent the basic form of the Higgs Boson and that is 161.244 GeV* or 160.847 GeV as a function of the electro-weak coupling and related as a 'charged current' weak interaction to a 'neutral current' interaction mediated by the Z⁰ boson of energy about 91 GeV* to sum for a 'Vacuum Expectation Value' of about 252 GeV*.

$$\text{Higgs Boson Weakon WNI-Mass } M_{\text{HBWZ}} = \{W^- + W^+ + Z^0\} \text{ GeV}^* = \{80.622 + 80.622 + 91.435\} \text{ GeV}^* = 252.68 \text{ GeV}^*$$

$$\begin{aligned} & \{(14.11355+46.100)+(1.5010+4.9028)+(150.571+491.8401+1,606.53+5,247.48+17,140.13+55,985.5)+(182,869)+(597.159.0)\} \\ & = \{60.2136\} + \{6.404\} + \{80,622.05\} + \{182,869\} + \{597,159\} = \\ & \{66.6618\} + \{80,622.05\} + \{2 \times 91,434.5\} + \{2 \times 298,580\} = 860,716.7 \text{ MeV}^* \end{aligned}$$

$$\text{Kernel-Inner Ring VPE} = 0.04611 \text{ GeV}^*$$

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Quark Level	Kernel-Energy in MeV*	K-Mean($x^{1/2}$) in MeV*	Ring-Energy in MeV*	IR-OR.Mean.in.MeV*	Comment
VPE-Level [K-IR]	26.4924- 29.9618	g_{L2} = 14.11355	2.8175- 3.1865	$L_2 = 1.5010$	K-IR VPE
VPE-Level [IR-OR]	86.5334- 97.8657	g_{L1} = 46.100	9.2030- 10.408	$L_1 = 4.9028$	IR-OR VPE Ground-OR electron level
UP/DOWN-Level u=K; ubar=Kbar; dbar=Kbar+IRbar	282.6487- 319.6637	$g_{u,d}$ = 150.5781	30.060- 33.997	$L_{u,d} = 16.014$	K-KIR basis
STRANGE-Level s=K+OR sbar=Kbar+ORbar	923.2302- 1,044.13	g_s = 491.8401	98.187- 111.045 muon energy	$L_s = 52.308$	KIR-KOR basis 1st (K)-OR- Muon level
CHARM-Level c=U.ubar; U=uu cbar=Ubar.u; Ubar=uu.bar	3,015.59- 3,410.51	g_{cU} = 1,606.53	320.71- 362.71	$L_{cU} = 170.86$	singlet apparent
BEAUTY-Level b=ud.ubar bbar=udbar.u	9,849.99- 11,139.93	g_b = 5,247.48	1,047.6- 1,184.7	$L_b = 558.08$	doublet apparent
MAGIC-Level M=us.ubar Mbar=usbar.u	32,173.6- 36,386.9	g_M = 17,140.13	3,421.7- 3,869.8	$L_M = 1,822.88$ max Tauon energy	doublet suppressed in 2nd K-OR- Tauon level M=us and M.Mbar=VP E

					in b.bbar resonance
DAINTY-Level D=dd.U=udd.u Dbar=ddbar.Ubar=uddbar.ubar	105,090-118,852	$g_d = 55,985.5$	11,177-12,640	$L_D = 5,954.25$	triplet suppressed in D=dd and D.Dbar=VPE in no IROR oscillation
TRUTH-Level t=ds.U=uds.u tbar=dsbar.Ubar=udsbar.ubar	343,261-388,214	$g_t = 182,869$	36,506-41,287	$L_t = 19,448.25$	triplet apparent
SUPER-Level S=ss.U=uss.u Sbar=ssbar.Ubar=ussbar.ubar	1,120,592 - 1,268,044	$g_s = 597,159.0$	119,243 - 134,858	$L_s = 63,525.27$	triplet suppressed in S=ss and S.Sbar=VPE in no ORIR oscillation

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Quark q	Diquark Structure qq	Manifesto	Mean- Kernel-Mass GeV*	Mean- Ring-Mass GeV*	Higgs Boson Mass Integration
Kernel-Outer Ring VPE ₁	K↔IR↔OR Kernel-Mesonic- Leptonic	KIR=d KOR=s	K ₁ 0.01411355	L ₁ 0.0015010	
Kernel-Inner Ring VPE ₂	K↔IR Kernel-Mesonic	K=u	K ₂ 0.046100	L ₂ 0.0049028	½(K ₂ -L ₂) 0.0206
Pion-(KIR-Quark d)	Base KIR Quark	uq, dq	0.1505781	0.016014	Σ(d) =0.1506
Kaon-(KOR- Quark s=d*)	Resonance KOR Quark	sq	0.49184	0.052308	Σ(d+s) =0.6419
Charm-(Diquark U=uu)	Diquark Singlet Active	Uqbar c=Uubar	1.60653	0.17086	Σ(d+s+U) =2.24843
Bottom-(Diquark b=ud)	Diquark Doublet Active	bqbar	5.24748	0.55808	Σ(d+s+U+b) =7.4959
Magic-(Diquark m=us)	Diquark Doublet Suppressed		17.14013	1.82288	Σ(d+s+U+b+m) =24.636
Dainty-(Diquark D=dd)	Diquark Triplet Suppressed		55.9855	5.95425	Σ(d+s+U+b+m+D) =80.622 = M _W
Top-(Diquark t=ds)	Diquark Triplet Active	tqbar	182.869	19.44825	½{t} =91.4345 = M _Z
Super-(Diquark S=ss)	Diquark Triplet Suppressed		597.159	63.52527	½{S} =298.58 = HVE

$$\Sigma(M_W^+ + M_W^- + M_Z^0) = 2M_{HB}^0 = (80.622 + 80.622 + 91.4345) \text{ GeV}^* = 252.679 \text{ GeV}^*$$

For Universal Electro-Weak Unification:

$$2M_{BH0}/Y_{n\text{present}} = 2M_{BH0}e/c^2Y_{n\text{present}} = 2.6150 \times 10^{-25} \text{ kg}^* \text{ for } 2\pi R_{HB0} = h/M_{HB0}c \text{ and } R_{HB0} = 1.3525 \times 10^{-18} \text{ m}^*$$

$$\text{Restmass-Photon RMP is quantized in volumar } 2\pi^2 R_{\text{RMP}}^3 \cdot f_{\text{ps}}^2 |_{\text{constant}} = e^* \text{ for } R_{\text{RMP}}^0 \\ = 1.41188... \times 10^{-20} \text{ m}^*$$

$$\text{HVE} - 2M_{\text{HB}}^0 = (298.58 - 252.679) \text{ GeV}^* = 45.901 \text{ GeV}^*$$

$$\text{HVE} - M_{\text{HB}}^0 = (298.58 - 126.340) \text{ GeV}^* = 172.24 \text{ GeV}^* = \text{Top-Quark Mass}$$

Fermi Constant for Electro-Weak WNI Unification for universal $\alpha = 60\pi e^2/h$:

$$F_0(\alpha) = \alpha\pi / \{\sqrt{2} \cdot M_W^2 \cdot (1 - M_W^2/M_Z^2)\} = 1.5338574 \times 10^{-3} \cdot \alpha = 1.12067834 \times 10^{-5} = 1/\{298.72 \text{ GeV}^*\}^2$$

for universal $\alpha = 60\pi e^2/h$

Fermi Constant for Electro-Weak WNI Unification for 'running' $\alpha = \alpha'$:

$$F_0(\alpha') = \alpha'\pi / \{\sqrt{2} \cdot M_W^2 \cdot (1 - M_W^2/M_Z^2)\} = 1.5338574 \times 10^{-3} \cdot \alpha' = 1.166378 \times 10^{-5} = 1/\{292.81 \text{ GeV}^*\}^2$$

for universal $\alpha = 60\pi e^2/h$

$$F_0(\alpha)/F_0(\alpha') = \alpha/\alpha' = 0.9608186 = 1/1.0407792 \text{ for } \alpha < \alpha'$$

$$\text{Fermi-HVE}(\alpha) = 292.81 \text{ GeV}^* = (298.72 - 5.8894 - 0.0206) \text{ GeV}^* = \text{Fermi-HVE}(\alpha') - \sum(\text{b+s+d}) \\ - \frac{1}{2}\{\text{K}_2\text{-L}_2\} = 292.81 \text{ GeV}^*$$

$$\text{Fermi-HVE}(\alpha') = 298.72 \text{ GeV}^* = (298.58 + 0.14) \text{ GeV}^* = \text{HEV} + 6 \sum(\text{b+s+d}) + M_\pi \text{ for base}$$

$$\text{VPE} = \text{uubar} = M_\pi^0 = \sum(\text{d}) - \delta\{\text{K} \leftrightarrow \text{IR} \leftrightarrow \text{OR}\}$$

$$\{M_\pi = M_\pi^0 + L_2 - \frac{1}{3}m_c = 0.1399945 \text{ GeV}^* \text{ for } M_\pi^0 = 0.150578 - 0.01604 + (1 + \frac{1}{3})m_c = 0.150578 - \\ 0.016014 + 0.000694 = 0.135258 \text{ GeV}^*\}$$

Weinberg Angle:

$$\cos\theta_W = M_W/M_Z = 80.622/91.4345 = 0.881746 = g/\sqrt{(g^2+g'^2)}$$

$$\sin\theta_W = \sqrt{(1 - \cos^2\theta_W)} = \sqrt{0.222524} = 0.471725 = g'/\sqrt{(g^2+g'^2)}$$

$$g'/g = \tan\theta_W = \sin\theta_W/\cos\theta_W = 0.53498967 \text{ for } g' < g$$

$$2\{g'/g\alpha'\} = 2\{0.53498967/1.0407792\} = 1.02805604 =$$

$$28.1463^\circ/27.553674^\circ = 1.02150806 + \delta(0.006548)$$

$$\text{for } \theta_W = \arccos\{0.88175\} = 28.1463^\circ = 27.553674^\circ +$$

$$0.5926^\circ$$

Kernel-VPE-Mixing:

$$\text{K}(+) = \text{K}^+ + \text{K}^- = 60.21355$$

$$\text{K}(-) = \text{K}^+ - \text{K}^- = 31.98645$$

$$\text{L}(+) = \text{L}^+ + \text{L}^- = 6.40128$$

$$\text{L}(-) = \text{L}^+ - \text{L}^- = 3.4018$$

$K_2 + L_2 = 0.0510 \text{ GeV}^*$ for Kernel-Inner Ring VPE₂ K→IR for Gluonic Kernel to Mesonic Inner Ring

$K_1 + L_1 = 0.0156 \text{ GeV}^*$ for Kernel-Outer Ring VPE₁ (K→)IR→OR for Mesonic Inner Ring to Leptonic Outer Ring

$K_2 - L_2 = 0.0412 \text{ GeV}^*$ for Kernel-Inner Ring VPE₂ K→IR for Gluonic Kernel Base VPE

$K_1 - L_1 = 0.0126 \text{ GeV}^*$ for Kernel-Outer Ring VPE₁ (K→)IR→OR for (Gluonic Kernel)

$K_1 - L_1 = 0.0126 \text{ GeV}^*$ for Kernel-Outer Ring VPE₁ (K→)IR→OR for (Gluonic Kernel)

Modular ylem mass:

$M_{|mod} = M_{chandra} = M_m = f_{ps}|_{mod}$ from monopolar displacement current:

$2\pi i/c = 2\pi e f_{ps}/c = 2\pi e/\lambda_{ps} = e/r_{ps} = e.r_{ss} = 2\pi e\lambda_{ss}$ for $2\pi i = [ec].r_{ss}$ as monopolar displacement current

$2\pi i = 2\pi\lambda_{ss}[ec] = 2\pi e[\lambda_{ss}c] = 2\pi e[f_{ps}\lambda_{ps}\lambda_{ss}] = 2\pi e f_{ps} = 2\pi ec/\lambda_{ps} \Leftrightarrow 2\pi ec/l_{planck}\sqrt{\alpha} = 2\pi ec^3/e = 2\pi[ec]c^2/e = 2\pi M_{|mod}c^2/e$

$i = e f_{ps} = M_{|mod}c^2/e$ for $e^2 f_{ps}|_{mod} = M_{|mod}c^2$ for $[h/c^2]f_{ps}|_{mod} = [E/f][m/E]f_{ps}|_{mod} = M_{|mod} = M_m$ by Action Law Action $h = e^2 \text{ Charge}^2$

From Electro-Weak Unification parameters: $\{1eV = 1.0024656 \text{ eV}^*\}$ with $T(n_{EW}=4.67 \times 10^{-21}) = 3.40 \times 10^{15} \text{ K}^*$

$M_W^\pm = \Sigma_{\text{Kernel-Mean}} = m_{up-down} + m_{strange} + m_{charm} + m_{bottom} + m_{magic} + m_{dainty} = 0.151 + 0.492 + 1.607 + 5.247 + 17.140 + 55.986 = 80.622 \text{ GeV}^* \text{ or } 80.424 \text{ GeV}$

$M_Z^0 = 91.435 \text{ GeV}^* \text{ or } 91.210 \text{ GeV}$

$M_{H_X} = 298.580 \text{ GeV}^* \text{ or } 297.846 \text{ GeV}$

$\sqrt{2} \cdot \text{Fermi Constant } G = \sqrt{2} \cdot G_F = \sqrt{2} \{ \pi\alpha / (\sqrt{2} \cdot M_W^2 [1 - M_W^2/M_Z^2]) \} = (1/\text{Higgs-Vacuum-Expectation HVE})^2 = 1.5848 \times 10^{-5} \text{ GeV}^{-2} \text{ for HVE} = 251.19 \text{ GeV}^* \text{ or } 250.58 \text{ GeV}$

As the Charmonium quark state is defined by the coupling of a double-up-diquark $U=uu$ to an anti-up-quark as $c=U.u(\text{bar})$ and so as a quark molecule as the quark singlet state of 3 interacting quarks; whilst the diquark doublet of bottom-magic $\{b=[ud].u\text{bar and } m=[us].u\text{bar}\}$ and the diquark triplet of dainty-top-super $\{D=[dd].U \text{ and } t=[ds].U \text{ and } S=[ss].U\}$ form double quarks; the Kernel-Mean of the Charmonium energy level is added to the HVE and the Difference-VPE levels for the K-IR - IR-OR transitions are subtracted for the quark-antiquark coupling.

$M_W^- + M_W^+ + M_Z^0 = 252.68 \text{ GeV}^* \approx \text{HVE} + m_{charm} - (m_{K(+)} + m_{K(-)} + m_{L(+)} + m_{L(-)}) = (251.19 + 1.60653 - [0.0922 + 0.009806]) = 252.69 \text{ GeV}^* \text{ or } 252.07 \text{ GeV}$

$$m_{\text{charm}} - (m_{K(+)} + m_{K(-)} + m_{L(+)} + m_{L(-)}) = 1.60653 - 0.102 = 1.5045 \approx M_W^- + M_W^+ + M_Z^0 - \text{HEV} = 1.49 \text{ GeV}^*$$

$$\text{HEV} = M_{H_\chi} - m_D + m_{ud} + 2xm_{\text{charm}} + m_{u,d} = 298.580 - 55.986 + 5.24748 + 3.21306 + 0.15058 = 251.205 \text{ GeV}^* \approx \text{HEV in Kernel -Inner Ring mixing}$$

$$\text{HEV} = \text{HB} + \text{anti-HB} = 2xM_{\text{higgsboson}} \text{ for a Higgs Boson mean of: } \frac{1}{2}\{252.68\} = 126.34 \text{ GeV}^* \text{ or } 126.03 \text{ GeV SI.}$$

$$M_{\text{higgs boson}} = 2x\{55.986 + 5.247 + 1.607 + 0.492 + 0.151 + 0.046 + 0.014\} \text{ GeV}^* = 127.09 \text{ GeV}^* = 126.77 \text{ GeV SI}$$

for an upper bound including the base quarks u,d,s.

$$\text{Using the 3 Diquark energy levels U,D and S yield } M_{\text{higgsboson}} = 2x\{55.986 + 5.247 + 1.607\} \text{ GeV}^* = 125.68 \text{ GeV}^* \text{ and } 125.37 \text{ GeV SI.}$$

Subtracting the u,d means and the VPE mixing corrections gives:

$$125.68 - (g_{L2} + g_{L1} + g_{u,d} + L2 + L1 + L_{u,d}) = 125.68 - 0.23321 = 125.447 \text{ GeV}^* \text{ or } 125.138 \text{ GeV SI for a measured mass of the Higgs Boson.}$$

Quantum Relativity describes the creation of the Higgs Boson from even more fundamental templates of the so called 'gauges'. The Higgs Boson is massless but consists of two classical electron rings and a massless doubled neutrino kernel, and then emerges in the magneto charge induction as mass carrying Goldstone gauge boson.

(Continued on Part 6)

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